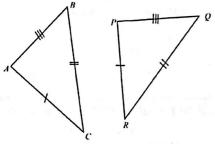
Key

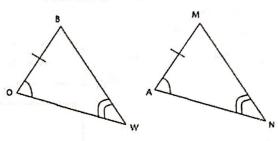
Corresponding Parts of Congruent Triangles are Congruent (CPCTC) – This justification allows you to prove additional parts of congruent triangles are congruent (AFTER) you have shown the triangles are congruent. In the proof, you use a combination of 3 pairs of congruent segments or angles to prove two triangles are congruent. Once you have shown the rangles are congruent using one of the 5 shortcuts (SSS, SAS, ASA, AAS, HL), you can now say that other corresponding parts of the triangles are congruent. CPCTC must FOLLOW the congruent triangles statement.

Prove:  $\angle BCA \cong \angle QRP$ 



| $\Delta ABC \cong \Delta PQR$ | SSS   |
|-------------------------------|-------|
| LBCA = LORP                   | CPCTC |

Prove:  $\overline{BW} \cong \overline{MN}$ 

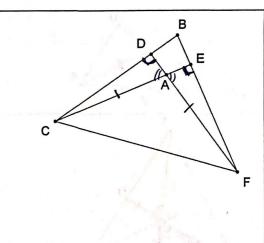


| $\Delta BOW \cong \Delta MAN$ | AAS   |
|-------------------------------|-------|
| BW=NN                         | CPCTC |

| 1. Give | n: ∠ <i>CDF</i> | and | ∠FEA | are right | angles |
|---------|-----------------|-----|------|-----------|--------|
|---------|-----------------|-----|------|-----------|--------|

 $\overline{CA} \cong \overline{FA}$ Prove:  $\overline{CD} \cong \overline{FE}$ 

| $\angle CDF$ and $\angle FEA$ are right | Given                          |
|---|--------------------------------|
| COF = LFEA                              | all Rt. Ls are =               |
| CA = FA                                 | Given                          |
| 1 DAC = LEAF                            | Vertical angles are congruent. |
| ΔCAD = AFEA                             | AAS                            |
| $\overline{CD} \cong \overline{FE}$     | CPCTC                          |
|   |                                |

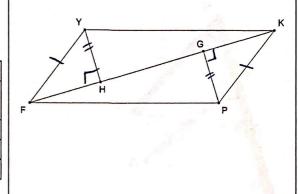


2. Given:  $\angle FHY$  and  $\angle KGP$  are right angles

 $\overline{FY} \cong \overline{PK}; \overline{HY} \cong \overline{GP}$ 

Prove:  $\angle YFH \cong \angle PKG$ 

| LFHY and / KGP are HZ. | Given                |
|------------------------|----------------------|
|                        | All right angles are |
| ZFHY = ZKGP            | congruent.           |
| FY = PK, HY = GP       | Given                |
| DFHY = DK6P            | HL                   |
| ZVFH = /PKG            | СРСТС                |
|                        |                      |



| 3. Given: $\overline{YK} \parallel \overline{PF}$ ; $\overline{FG} \cong \overline{KH}$  |                         | Υκ   |
|--|-------------------------|--|
| ∠PGH and ∠YHG are  | e right angles          | G  |
| Prove: $\overline{GP} \cong \overline{HY}$   |                         |  |
|  |                         | "  |
| YK    PF   | biven                   |  |
|  | if 2 11 lines are cutby | - K  |
| TZYKF = ZPFG   | a transversal then '    | lt .   |
| 112/11 -2116   | alternate interior Ls   |  |
|  | are Congment.           | 11   |
| FG = KH  | Given                   | 1 6  |
| $\triangle PGH$ and $\triangle YHG$ are right  | Given                   | H  |
| ∠s   |                         | The state of the s |
| LPGH = LYHG  | all Rt Ls are =.        | P  |
| DYHK= NGPF   | ASA                     |  |
| 6p = Hy  | CPLTC                   |  |
| 4. Given: $V$ is the midpoint of $\overline{R}$  | <u> </u>                |  |
| $\overline{RW} \cong \overline{SW}$  |                         | _  |
| Prove: $\angle RWV \cong \angle SWV$   |                         | <u></u>  |
|  |                         |  |
| Visthe Midpoint of RS  | Given                   |  |
| $\overline{RV} \cong \overline{SV}$  | Definition of Midpoint  | u/ / \   |
| RN = SN  | Given                   | 7   1  |
| $\overline{WV} \cong \overline{WV}$  | Reflexive Prop. of =    | / w \  |
| ARWY = DSWV  | SSS                     | R ± X \  |
| LZRWV = ZSWV   | CPCTC                   | H TH S   |
| THE THE THE THE  | 7772                    | V -3   |
| Given: $\overline{UW} \cong \overline{VW}$ ; $\overline{WT} \cong \overline{VW}$   | :WS                     |  |
| Prove: $\overline{UT} \cong \overline{VS}$   |                         |  |
| UN Y VW, WT WS   | Given                   |  |
| ZUWT= ZVWS   | Vertical 2s are =       | <b>u</b> ∕ <b>≠</b> \  |
| $\Delta UWT \cong \Delta VWS$  | SAS                     | /w   |
| UT ~ VS  | CPCTC                   |  |
|  |                         | R  |
|  |                         | S  |
| C. Chana DD II CW. DL II WA  | DD ~ CW                 |  |
| 6. Given: $\overline{PR} \parallel \overline{SW}; \overline{RL} \parallel \overline{WT}; \overline{RL} \parallel \overline$ | $PR \cong SW$           | P  |
| Prove: $RL \cong WI$   |                         |  |
| DD    CIA, DI    IAM   | GIVE                    |  |
| $\overline{PR} \parallel \overline{SW}; \overline{RL} \parallel \overline{WT}$   | 61/67                   | s  |
| ∠RPL=∠WST  | If 211 lines are cut    |  |
|  | by a transvenal         | R V  |
| ZRLP = ZWTS  | then Corresponding Ls   |  |
| 11-7-1-711>  | are =,                  |  |
|  |                         | W  |
| $\overline{PR} \cong \overline{SW}$  | GUALO                   |  |
|  | Given                   | Τ  |
| AKPL & AWST  | (007)                   |  |
| KL = IV  | LPCTC                   |  |
|  |                         |  |