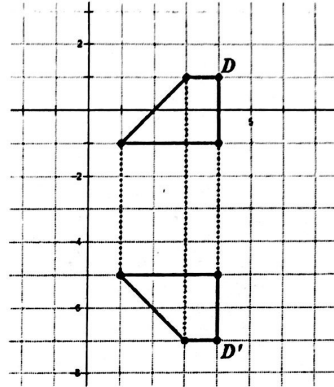
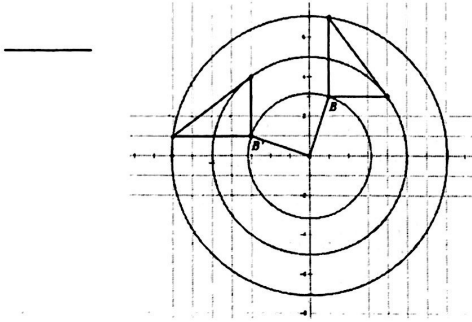


## Guess My Transformation(s)

Match each description with its transformation. Each letter is only used once.

\_\_\_\_\_ The domain of a function is  $\{T(-8,0), U(1,7)\}$ . The range of the function is  $\{T'(-2,0), U'(-11,7)\}$ .

\_\_\_\_\_  $\triangle FGH$  is reflected across the y-axis and then reflected across the line  $y = x$ . Which single rigid transformation would produce the same image?



\_\_\_\_\_ What transformation maps the point  $W(-4,4)$  to  $W'(-4,4)$ ?

\_\_\_\_\_  $f(x, y) = (-x, y + 7)$

\_\_\_\_\_ Transformation that moved every point the same distance and direction along congruent parallel lines with slope of  $-\frac{1}{7}$ .

\_\_\_\_\_  $R(-2,5) \rightarrow R'(6,3)$

\_\_\_\_\_ Quadrilateral AFHS where  $A(-2,4), F(-2,2), H(0,2), S(-1,4)$  is reflected over line  $y = -x$ . The image is then rotated  $270^\circ$  about the origin. Which single rigid transformation would map the resulting image back onto quadrilateral AFHS?

$W(-4, -4)$	$W'(4, 4)$
$V(2, -5)$	$V'(-2, 5)$

\_\_\_\_\_  $\overline{AA'}$  has a slope of  $-1$ .  $B(6,6)$  is the midpoint of  $\overline{AA'}$  and the distance from  $A$  to  $B$  is equal to the distance from  $A'$  to  $B$ .

\_\_\_\_\_ The orientation of  $\triangle ABC$  changed after undergoing a rigid motion transformation to produce  $\triangle A'B'C'$ . The y-values of the coordinates became opposite.

<p>A. Rotation <math>90^\circ</math> about the origin</p> <p>B. Reflection over y-axis</p> <p>C. Reflection over the line <math>y = x</math></p> <p>D. Reflection over the y-axis followed by a translation up 7</p> <p>E. Reflect over line <math>x = -5</math></p> <p>F. Reflect over line <math>y = -x</math></p>	<p>G. Rotation <math>180^\circ</math> around <math>(0,0)</math></p> <p>H. Reflection over line <math>y = -3</math></p> <p>I. Translation down 1 unit and right 7 units</p> <p>J. Reflection over x-axis</p> <p>K. Reflection over the y-axis followed by a translation right 4 and down 2.</p> <p>L. Rotation <math>270^\circ</math> about the origin</p>
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